



Linear Regression in Excel

Below, one way to calculate the coefficients of a linear equation by linear regression in Excel will be shown.

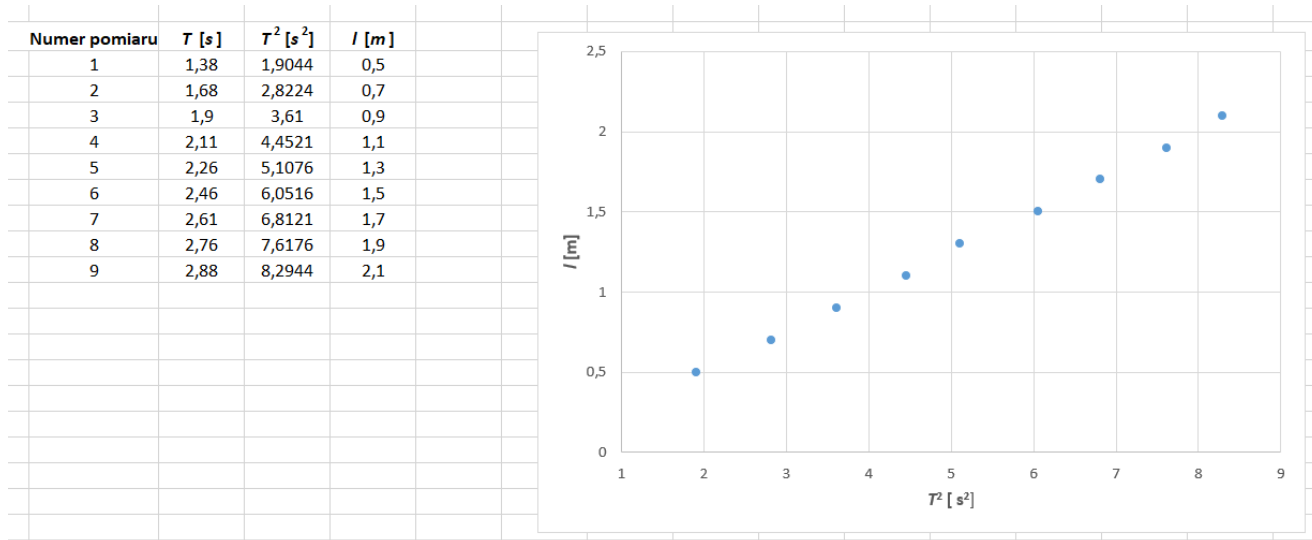
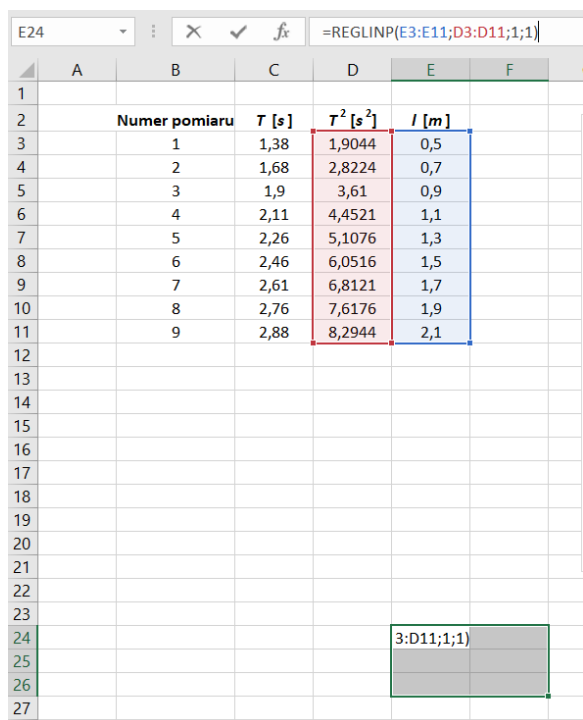


Figure 1.

Figure 1 presents exemplary data - the dependence of the oscillation period T on the length of the pendulum l . In this case, we assume that the linear equation will be of the form:

$$l = aT^2 + b$$



therefore, the data in the table have been properly prepared, i.e. we have column T^2 and column l . In the graph $l(T^2)$ we can confirm that the points are arranged on a straight line.

First, let's mark the 2 x 3 matrix in the worksheet - see Figure 2. In the formula bar, after the equal sign "=", we start entering the name of the function and complete the data in brackets (e.g. using the mouse) separating the data with semicolons

REGLINP(known_x;known_y;constant;statistics). The parameters "constant" and "statistic" should be set to 1. We close the brackets and press the key combination **Ctrl + Shift + Enter**. The matrix should fill with numbers.

Figure 2.

The meaning of the numbers in the matrix is explained in Figure 3:

$l = a * T^2 + b$			
slope factor $a =$		0,250046	0,00331
uncertainty $u(a) =$		0,00279	0,015575
correlation coefficient $r^2 =$		0,999129	0,017281
			intercept $b =$
			uncertainty $u(b) =$
			uncertainty of correlation coefficient

Figure 3.

Please remember that as important as the coefficients a and b of a linear equation are their uncertainties $u(a)$ and $u(b)$. Both coefficients a and b , as well as their uncertainties, are usually nominal quantities, i.e. they have a dimension. In our case, dimension a and $u(a)$ are m/s^2 , and dimension b and $u(b)$ are m . Also remember to round the obtained values appropriately when entering them into the report:

$$a = 0,2500(28) \text{ m/s}^2 \quad i \quad b = 0,003(16) \text{ m}$$

Finally, we can add a line to the chart, e.g. as a trend line - see Figure 4.

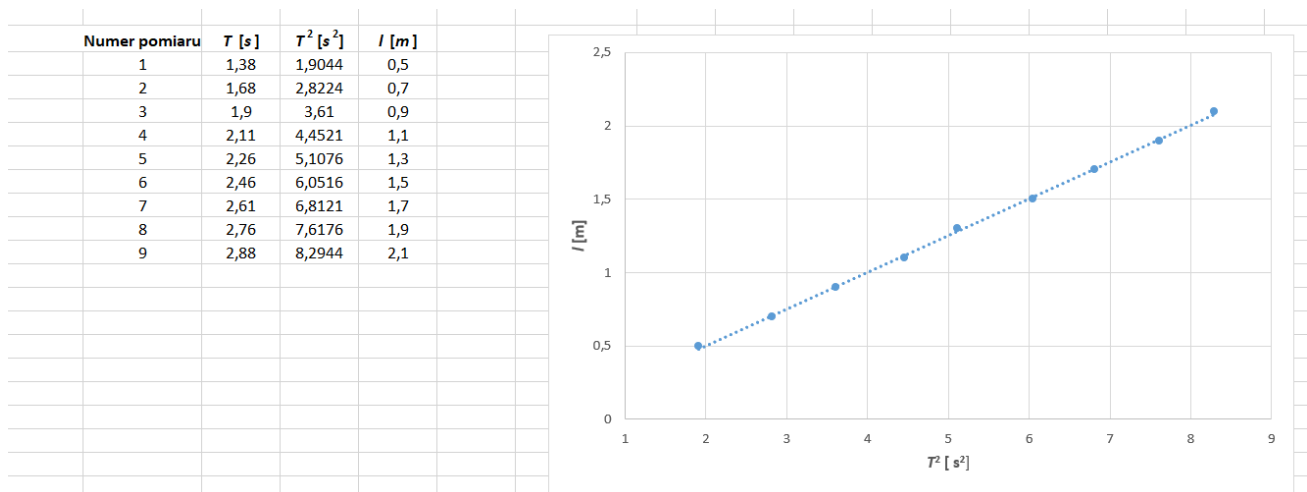


Figure 4.